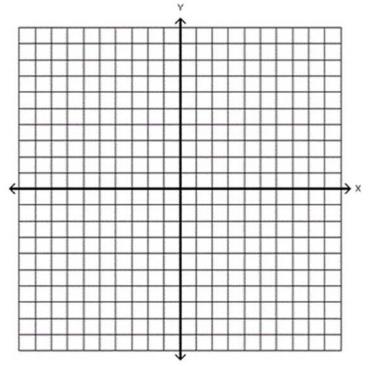
## 3.1 – Graphing Linear Inequalities

What are some (x, y) values that make x + y < 5 true?

**List them here.** (Find 5 or 6 pairs)



Now plot those points on the coordinate system.

Now graph the line, x+y=5 on the coordinate system.

What do you notice about the points you found before?

## Linear Inequality

A linear inequality in two variables has the form

$$ax + by \le c$$

$$ax + by < c$$

$$ax + by \ge c$$
,

or 
$$ax + by > c$$
,

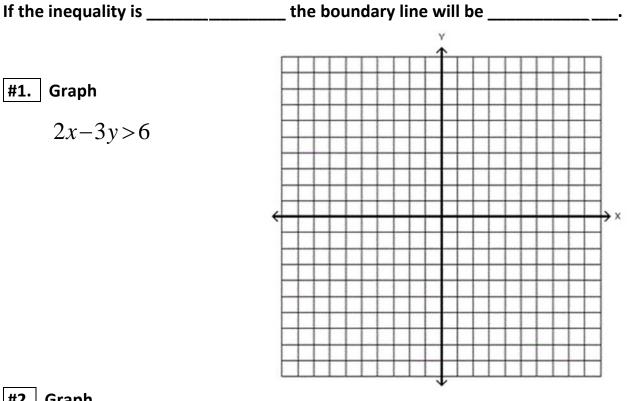
for real numbers a, b, and c, with a and b not both 0.

The graph of a linear inequality, is the \_\_\_\_\_\_ that makes the inequality \_\_\_\_\_ that half.

So the line itself represents the \_\_\_\_\_ and then one shaded side (half-plane) of the line represents the \_\_\_\_\_ and the other side represents the \_\_\_\_\_. So if the inequality is \_\_\_\_\_\_ the boundary line will be \_\_\_\_\_.

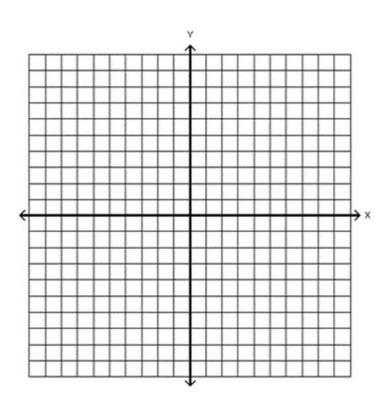
#1. Graph

$$2x - 3y > 6$$



#2. Graph

$$2x+3y \ge 9$$



## Graphing a Linear Inequality

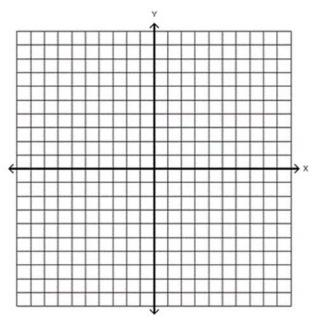
- Draw the graph of the boundary line. Make the line solid if the inequality involves ≤ or ≥; make the line dashed if the inequality involves < or >.
- 2. Decide which half-plane to shade. Use either of the following methods.
  - a. Solve the inequality for y; shade the region above the line if the inequality is of the form  $y > \text{ or } y \ge$ ; shade the region below the line if the inequality is of the form  $y < \text{ or } y \le$ .
  - b. Choose any point not on the line as a test point. Shade the half-plane that includes the test point if the test point satisfies the original inequality; otherwise, shade the half-plane on the other side of the boundary line.

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#3. Graph the system

$$4x-y<6$$

$$3x + y \le 9$$



The overlapping shaded areas is often referred to as the \_\_\_\_\_

#4. Find the Feasible Region.

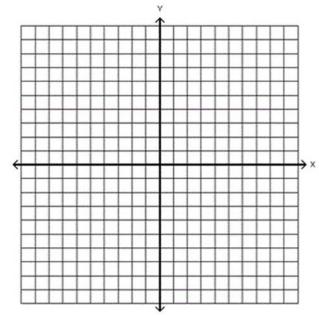
$$2x + 3y \le 12$$

$$2x + 3y > 3$$

$$3x + y < 4$$

$$x \ge 0$$

$$y \ge 0$$



- 43. Management The Gillette Company produces two popular battery-operated razors, the M3Power<sup>TM</sup> and the Fusion Power<sup>TM</sup>. Because of demand, the number of M3Power<sup>TM</sup> razors is never more than one-half the number of Fusion Power<sup>TM</sup> razors. The factory's production cannot exceed 800 razors per day. Let x = the number of M3Power<sup>TM</sup> razors and y = the number of Fusion Power<sup>TM</sup> razors produced per day.
  - a. Write a system of inequalities to express the conditions of the problem.
  - b. Graph the feasible region of the system.

