

**Factoring Trinomials:  $x^2 + bx + c$  (5.4)**

**Math 098**

Let's observe the patterns:

$$(x+3)(x+4)$$

So to factor  $x^2 + bx + c$  we look for two numbers that \_\_\_\_\_ to \_\_\_\_\_ and \_\_\_\_\_ to \_\_\_\_\_.

Example 1: Factor

a.)  $x^2 + 9x + 20$

b.)  $t^2 - 12t + 32$

So if  $c$  is positive, then the two numbers have \_\_\_\_\_ and  $b$  determines it.

Example 2: Factor

a.)  $r^2 + 5r - 36$

b.)  $q^2 - 3q - 40$

So if  $c$  is negative, then the two numbers have \_\_\_\_\_, and

$b$  will determine which sign will be “\_\_\_\_\_” (that is, have more absolute value or weight).

Important: When factoring always factor out the \_\_\_\_\_ first.

Example 3: Factor completely

a.)  $x^3 + 3x^2 - 4x$

b.)  $y^2 + 6y + 15$

Example 4: Factor completely

a.)  $a^2 - 2ab - 48b^2$

b.)  $2t^2 + 32t - 72$

Example 5: Solve

a.)  $x^2 - 5x - 6 = 0$

b.)  $(z + 4)(z - 2) = -5$

c.)  $2x^5 = 26x^3 - 72x$  (graph (c.) when done to observe the roots/zeros. Use the window  $[-5, 5] \times [-75, 75]$ )

Example 6: Write a polynomial function  $f(x)$  in standard form whose zeros are -3, 0, and 4.

Example 7: Practice for you (factor or solve as appropriate)

a.)  $x^2 + 5x + 6$

b.)  $x^2 - 5x - 6$

c.)  $x^2 - 5x + 6$

d.)  $x^2 + 5x - 6$

e.)  $3r^3 = 45r^2 + 48r$

f.)  $r^3 - 3r^2 = 4r - 12$