

Example 1: Consider $x^2 = -5x$

a.) Using the graphing calculator, solve using the *intersect method*.

b.) Using the graphing calculator, solve using the *zero method*.

Vocabulary: Zeros and Roots: The x -values for which a function $f(x)$ is 0 are called the *zeros* of the function. The x -values for which an equation such as $f(x) = 0$ is true are called the *roots* of the equation.

Example 2: Find the zeros of the function $f(x) = x^3 - 2x^2 - 3x$ using the graphing calculator.

Here is a very important obvious fact. The principle of zero products: For any real numbers a and b , $ab = 0$ if and only if $a = 0$ or $b = 0$.

When a polynomial is written as a product, we say it is _____.

The zeros of a polynomial function are zeros described by the _____ of the polynomial.

Example 3: Solve $(x - 2)(x + 5) = 0$

Example 4: Given $f(x) = x(2x + 5)$, find the zeros of the function.

To _____ an expression means to write it as a product.

To factor out the greatest common factor (GCF) we will do _____.

Example 5: Factor out the greatest common factor (GCF)

a.) $6x^3 - 24$

b.) $12r^2s^3 - 9r^5s^6 + 15r^3s^2$

c.) $-5x^2 + 10x - 25$

d.) $-4x^4 + 6x^3 - 2x^2$

Example 6: Factor by grouping

a.) $(x-2)(x^2-3) + (x-2)(5-3x^2)$

b.) $b^3 - b^2 + 2b - 2$

c.) $t^3 + 6t^2 - 2t - 12$

d.) $ax - bx + by - ay$

Example 7: Solve $8x^2 = 40x$

Summary: To use the principle of zero products

- 1.) Write an equivalent equation with 0 on one side, using the additions principle.
- 2.) Factor the nonzero side of the equation.
- 3.) Set each factor that is not a constant equal to 0.
- 4.) Solve the resulting equations.