

**Practice Problems for Review in Class**

**Section: EII.C: Equations and Inequalities**

(1.)  $5(x-7) = 3x-17$

$\Rightarrow 5x - 35 = 3x - 17$

$\Rightarrow 2x = 18$

$\Rightarrow x = 9$

(2.)  $\frac{3x}{4} - \frac{1}{3} = 1 - \frac{2}{3}\left(x - \frac{1}{6}\right)$

$\Rightarrow \frac{3x}{4} - \frac{1}{3} = 1 - \frac{2}{3}x + \frac{2}{18}$

$\Rightarrow \frac{27x}{12} - 12 = 36 - 24x + 4$

$\Rightarrow 57x = 52 \Rightarrow x = \frac{52}{57}$

(3.) Solve and graph the solution to:  $16 - x \leq 5x + 12 < 24 - x$

$\Rightarrow 16 - x \leq 5x + 12 < 24 - x$

$\Rightarrow 16 \leq 4x + 12 < 24$

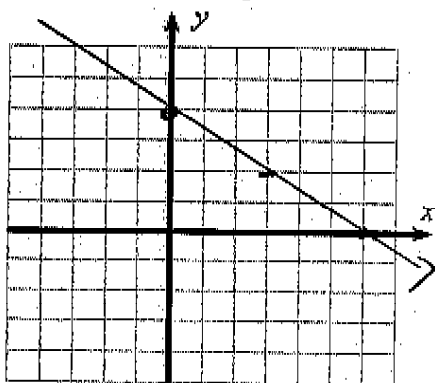
$\Rightarrow 4 \leq 4x < 12$

$\Rightarrow 1 \leq x < 3$

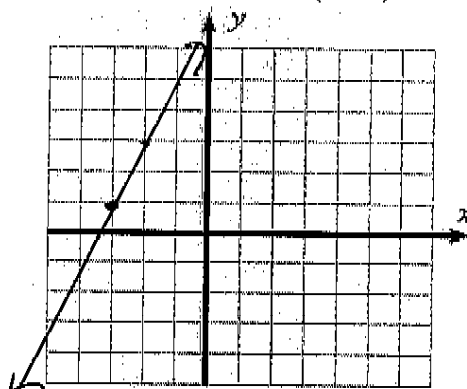


**Section: EII.E: Graphing Lines**

(4.) Graph:  $y = -\frac{2}{3}x + 4$  (sketch the axes)



(5.) Graph:  $y - 1 = 2(x + 3)$



(6.) Find the equation of the line with slope 2 and y-intercept -3.

$y = 2x - 3$

(7.) Find the equation of the line with slope  $\frac{1}{3}$  that includes the point (2, -4).

$y + 4 = \frac{1}{3}(x - 2)$

(8.) Perpendicular lines have: slopes whose product is -1.

**Section: EIL.F: Absolute Value**

(9.) Solve:  $|2x - 1| + 3 = 8$

$\Rightarrow |2x - 1| = 5$   
 $\Rightarrow 2x - 1 = \pm 5$   
 $\Rightarrow 2x = 1 \pm 5$   
 $\Rightarrow x = \frac{1 \pm 5}{2}$   

 $x = 3$   
OR  
 $x = -2$

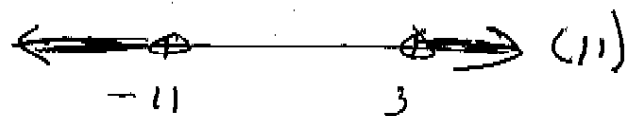
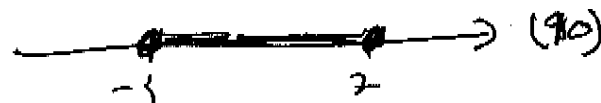
(10.) Solve and graph the solution to:

$|x - 2| \leq 5$

$\Rightarrow -5 \leq x - 2 \leq 5$   
 $\Rightarrow -3 \leq x \leq 7$

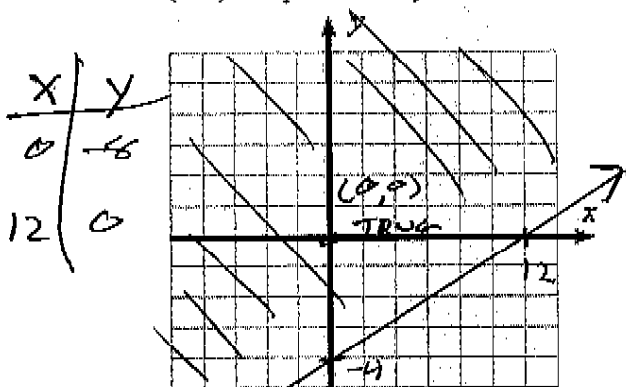
(11.) Solve and graph the solution to:  $|x + 4| > 7$

$\Rightarrow x + 4 > 7$  OR  $x + 4 < -7$   
 $\Rightarrow x > 3$  OR  $x < -11$

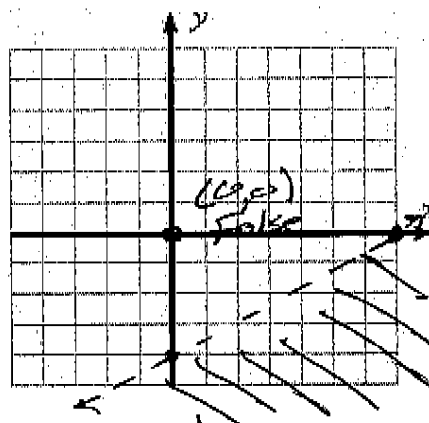


**Section: 4.3: Graphing Inequalities**

(12.) Graph:  $2x - 3y \leq 24$

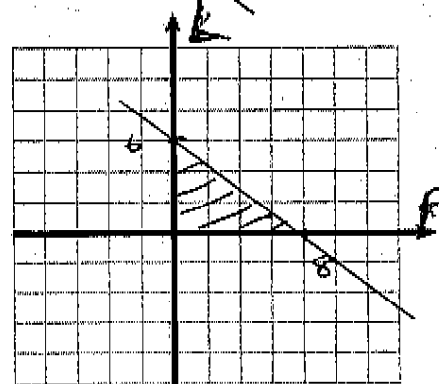


(13.) Graph:  $4x - 7y > 28$



(14.) Dusty has \$20 to spend on candy for his wife. If peanut M&Ms are \$4/lb and lemon drops are \$3/lb, graph an inequality that represents how much of each he can buy.

$P = \#$  lbs of M&Ms  
 $L = \#$  lbs of lemon drops



$4P + 3L \leq 20$

$P \geq 0$

$L \geq 0$